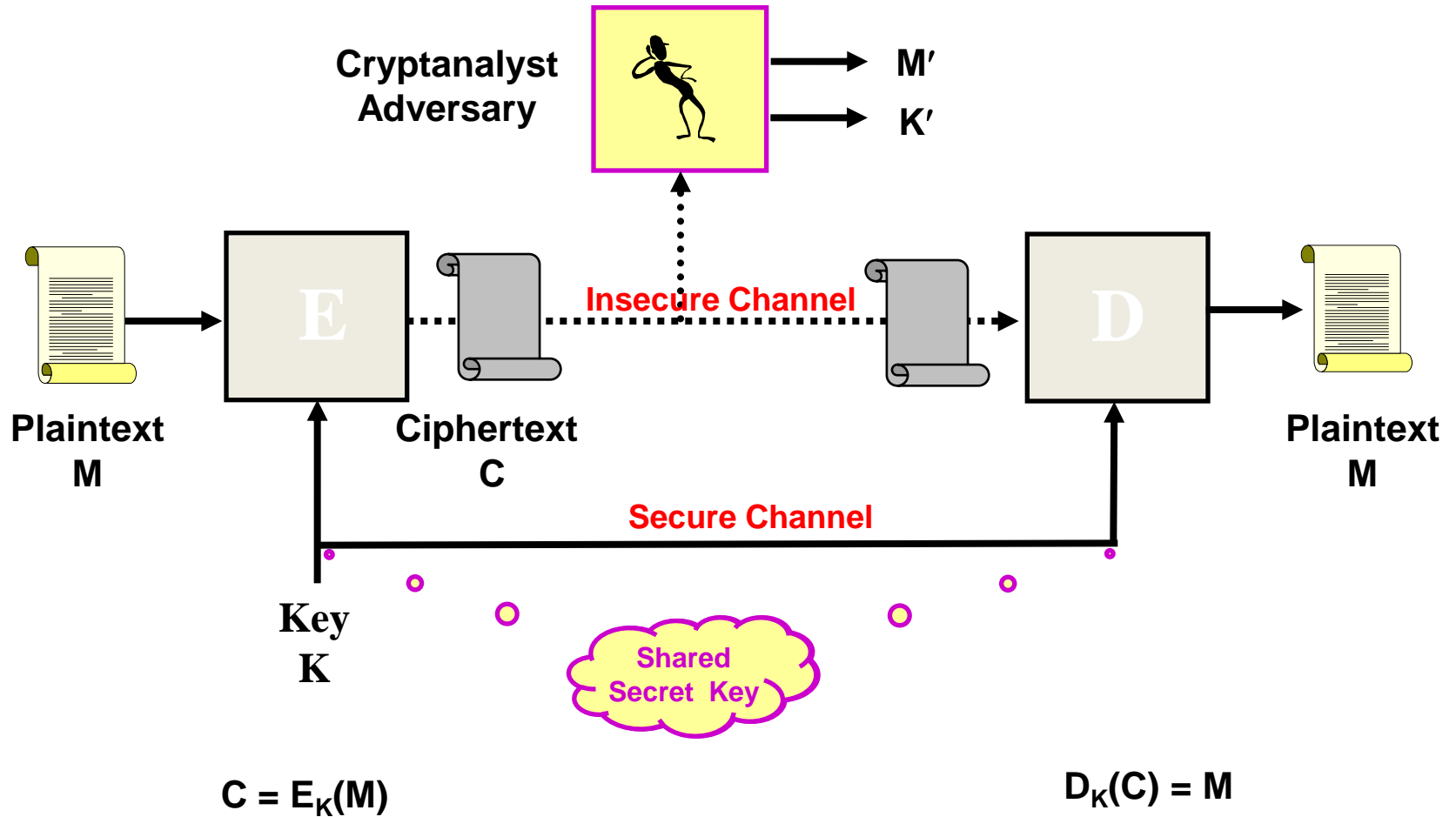
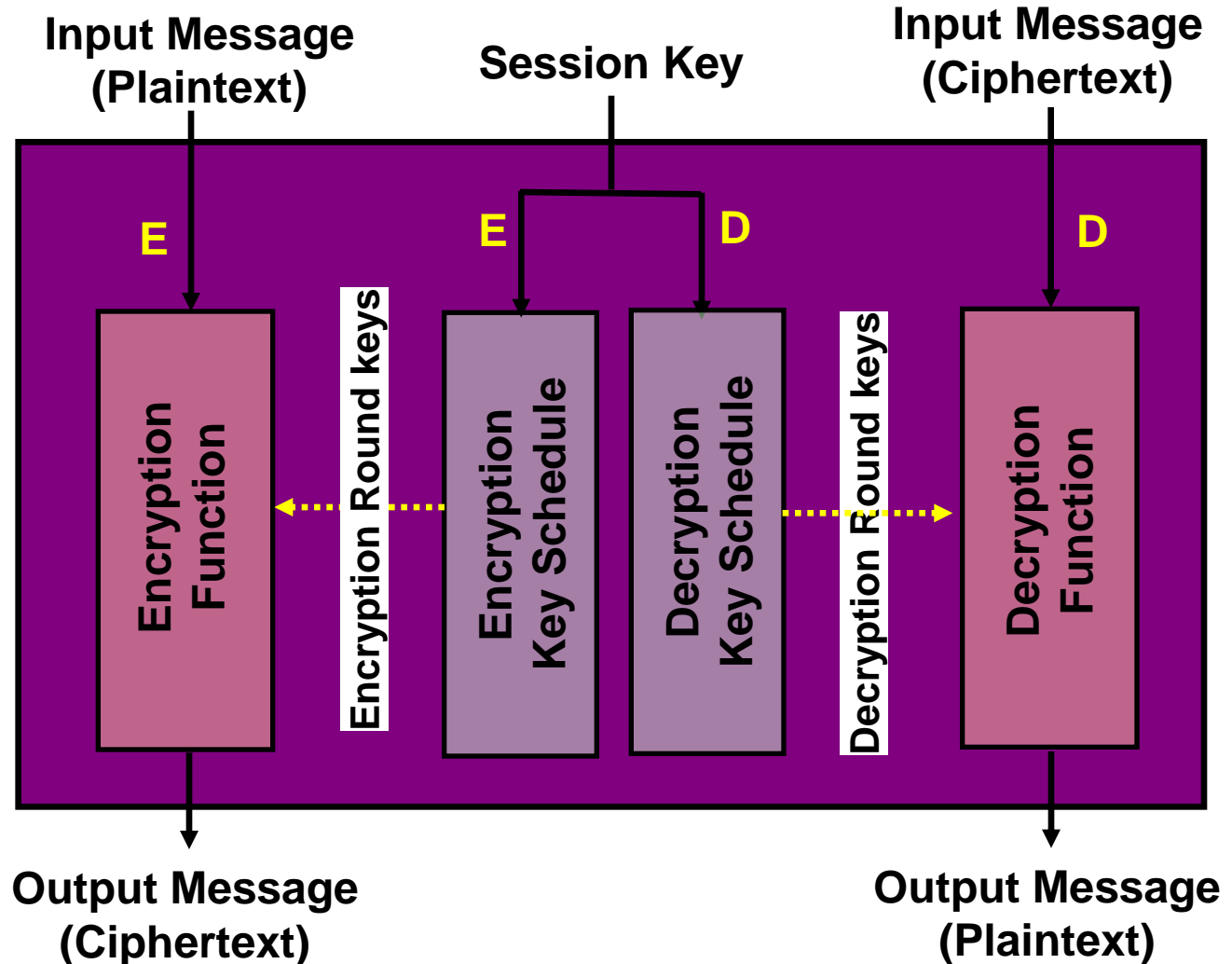


# **Week 4. : Block Ciphers and DES**

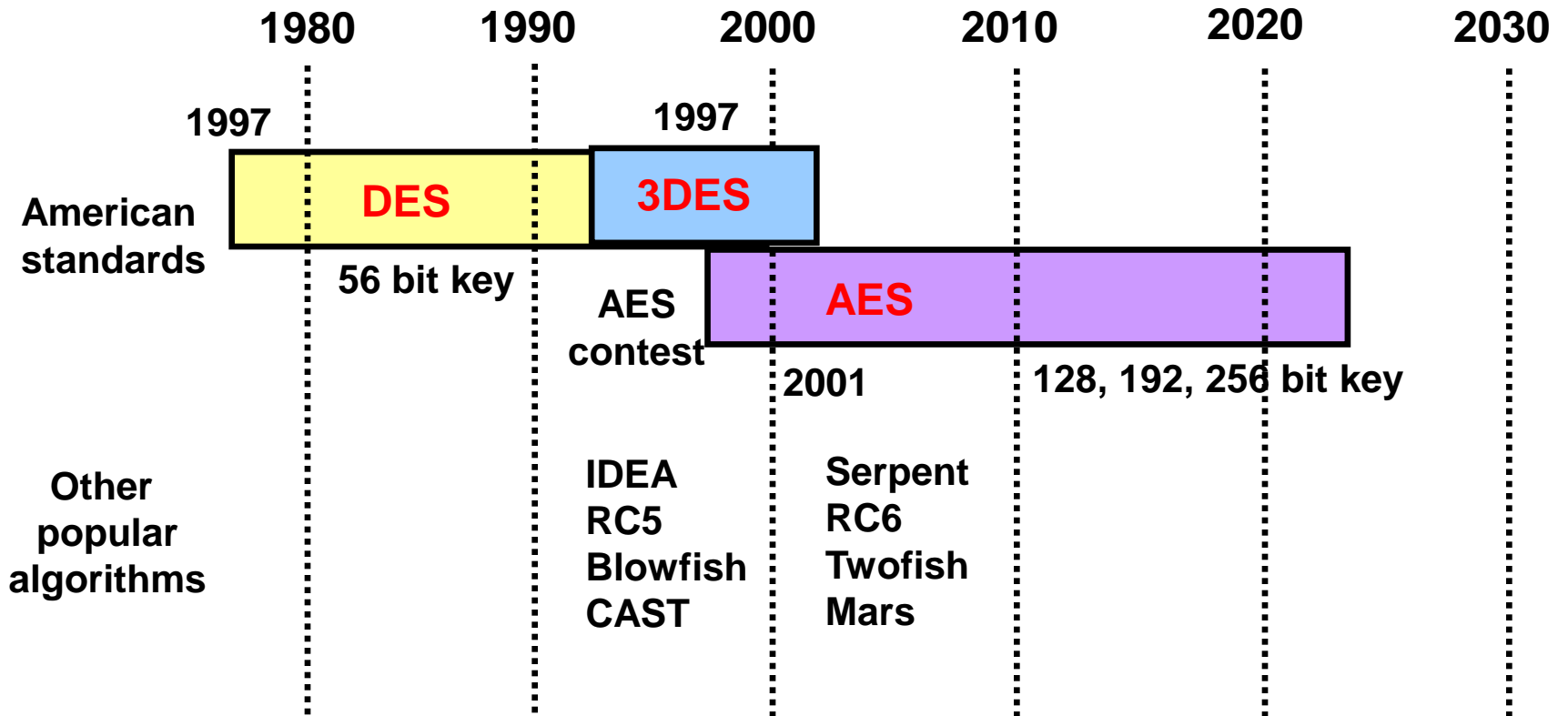
# Model of Symmetric Cryptosystem



# Block Cipher – A Simplified View



# Most Popular Symmetric Ciphers



# Feistel-type Ciphers

- Feistel network
  - An elegant variant of S-P networks that could be implemented **using a single algorithm for both encryption and decryption**
  - $F( )$  does not need to be invertible



Horst Feistel is best known for his work on the Feistel network construction – a common method for constructing encryption algorithms.

In 1977, he was recognized at the IBM Corporate Technical Recognition Event (CTRE) for

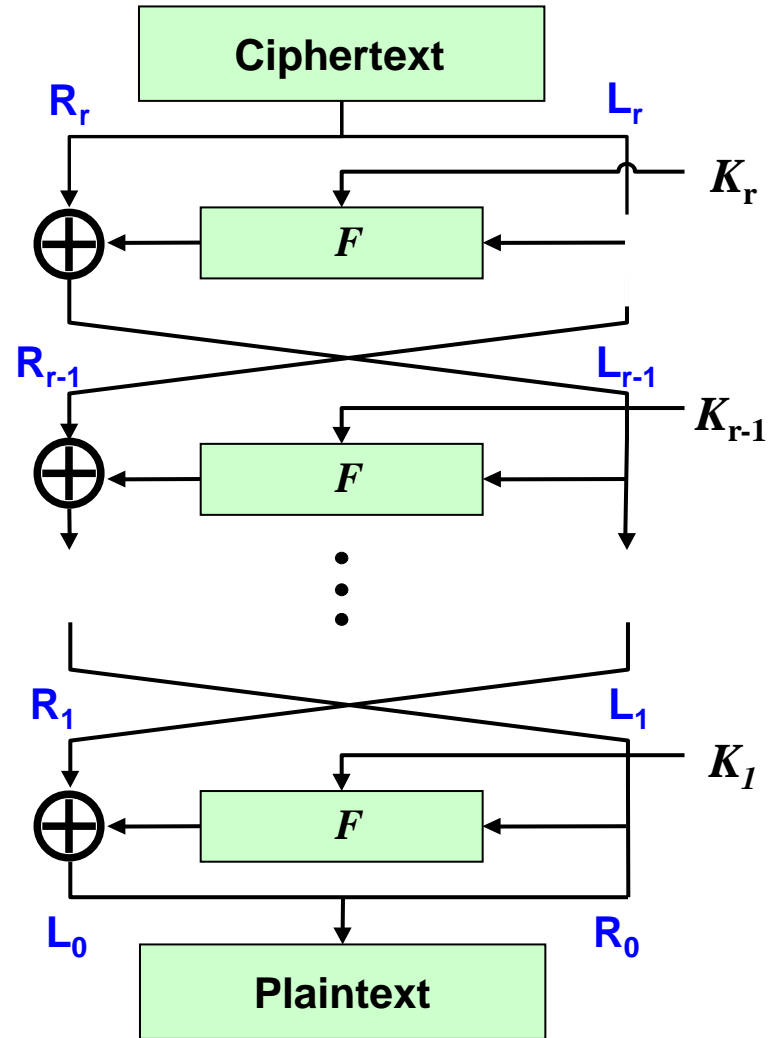
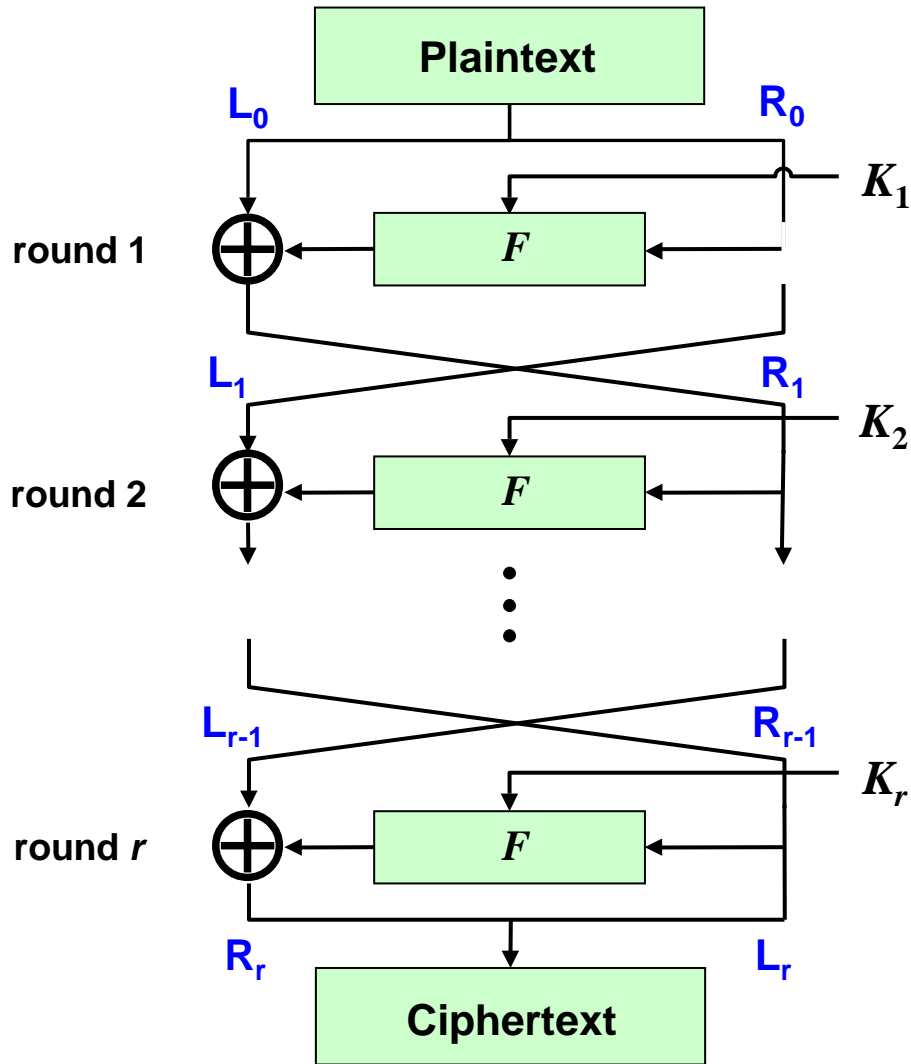
"devising a scheme encrypting binary data which is especially significant to IBM products and is the basis for the recently announced Federal Information Processing Standard adopted by the U.S. Commerce Department."

His work at IBM led to the development of the pioneering Lucifer and Data Encryption Standards (DES) ciphers, and as a result of his efforts, IBM announced the 3845

and 3846 data encryption devices and the IBM cryptographic subsystem.

Feistel earned a bachelor's and a master's degree in physics from MIT and Harvard, respectively. Before joining IBM, he worked with the U.S. Air Force Cambridge Research Center (AFCRC), MIT's Lincoln Laboratory and the Mitre Corporation

# Block Cipher Architecture - Feistel-type (Enc & Dec)



# Design of Feistel-type Ciphers

## ➤ Design of F-function

- ✓ The only **non-linear** part in the Feistel-type cipher
- ✓ Need not to be invertible
- ✓ Typically uses **S-boxes** (Substitution boxes) for non-linearity
- ✓ May also contain mixing (permutation) part of the S-box outputs
- ✓ Determines the ultimate security

## ➤ Design of Key scheduling algorithm

- ✓ Algorithm for deriving as many round keys as necessary from a fixed user key
- ✓ On-the-fly vs. off-line calculation

## ➤ Number of rounds

- ✓ Depends on the **strength of round function** (F-function)
- ✓ A **safety margin** should be considered for long-term security
- ✓ Determined through the analysis of the whole algorithm against **most powerful known cryptanalysis** techniques

# Data Encryption Standard (DES)

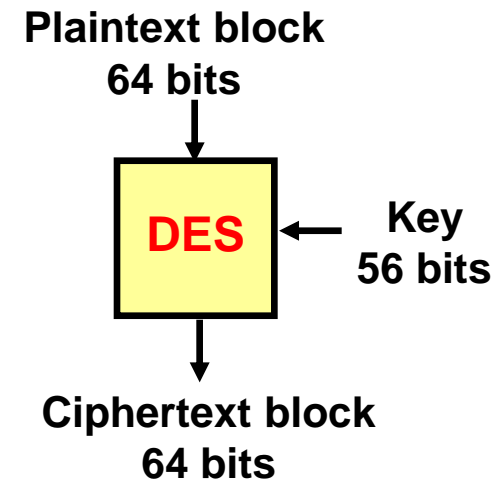
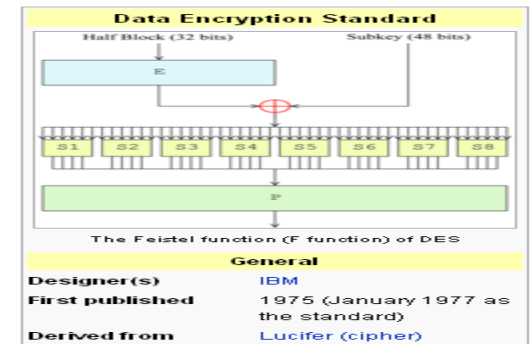
## ➤ DES - History

- ✓ 1976 – adopted as a federal standard
- ✓ 1977 – official publication as FIPS PUB 46
- ✓ 1983, 1987, 1993 – recertified for another 5 years

## ➤ Design Criteria of DES

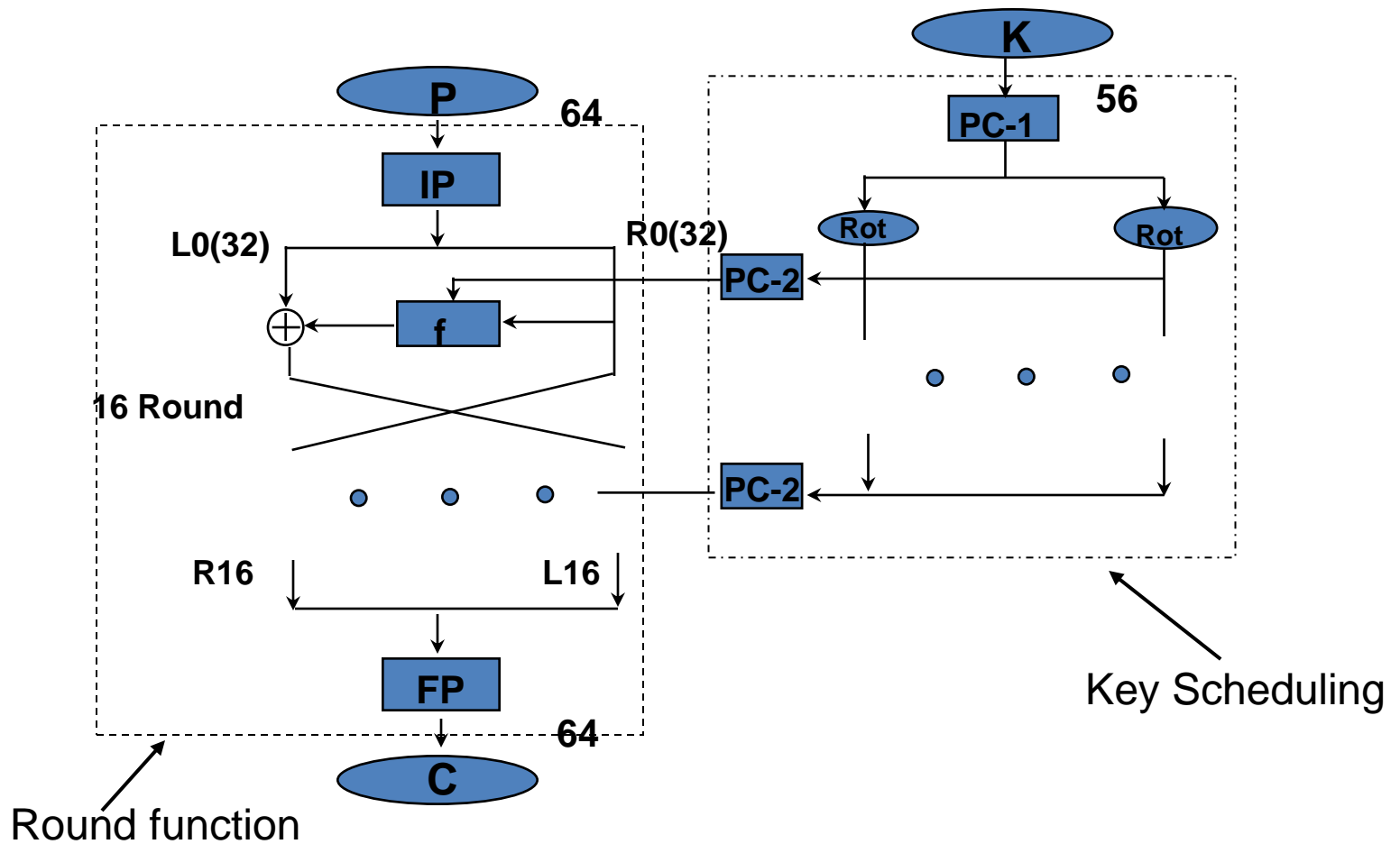
- ✓ Provide a high level of security
- ✓ Completely specify and easy to understand
- ✓ *Security must depend on hidden key, not algorithm*
- ✓ Available to all users
- ✓ Adaptable for use in diverse applications
- ✓ Economically implementable in electronic device
- ✓ Able to be validated
- ✓ Exportable

\* FIPS: Federal Information Processing Standards

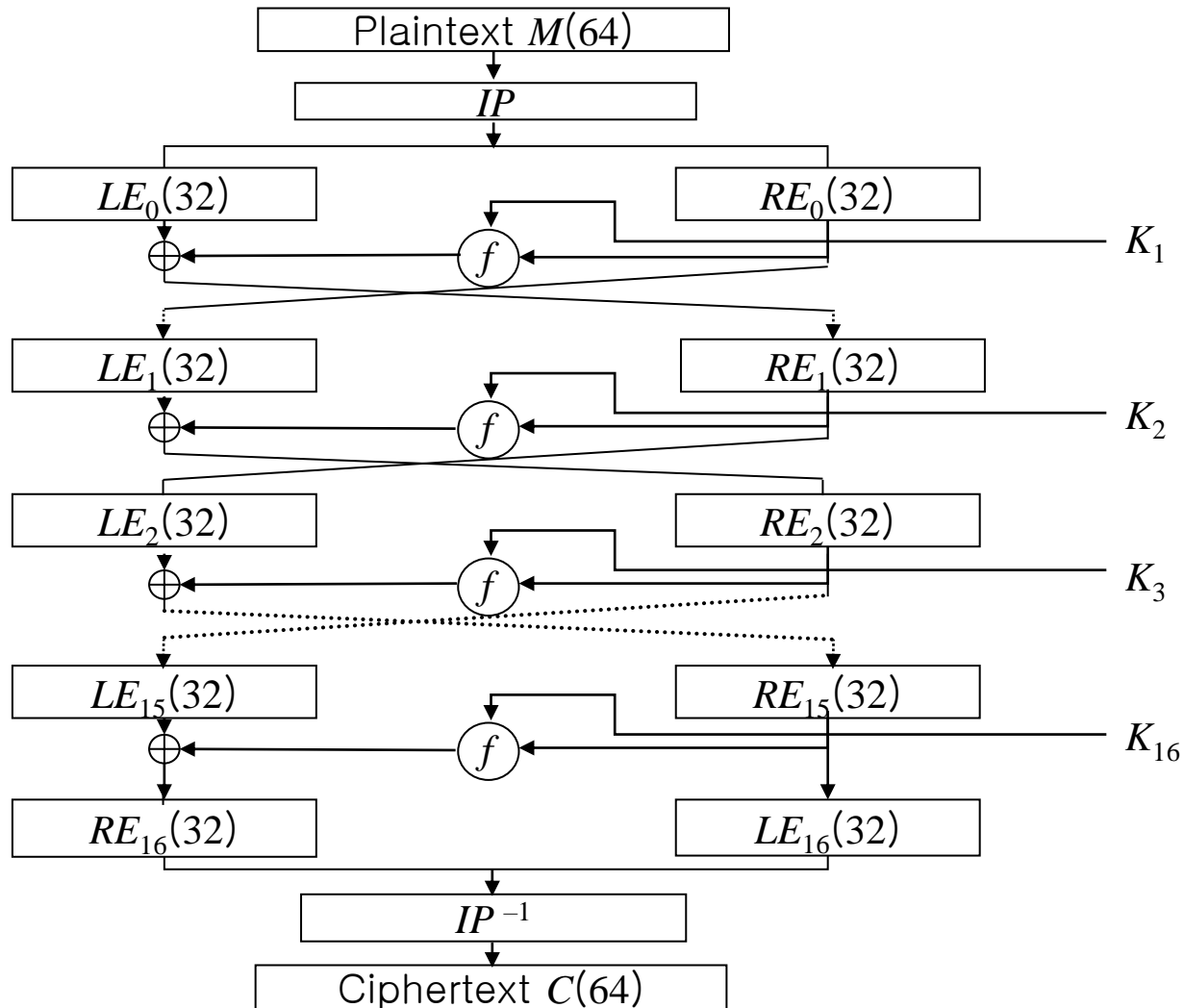




# 2 Main Blocks of DES



# DES – Round Function



# Initial Permutation & Final Permutation

***IP* (Initial permutation)**

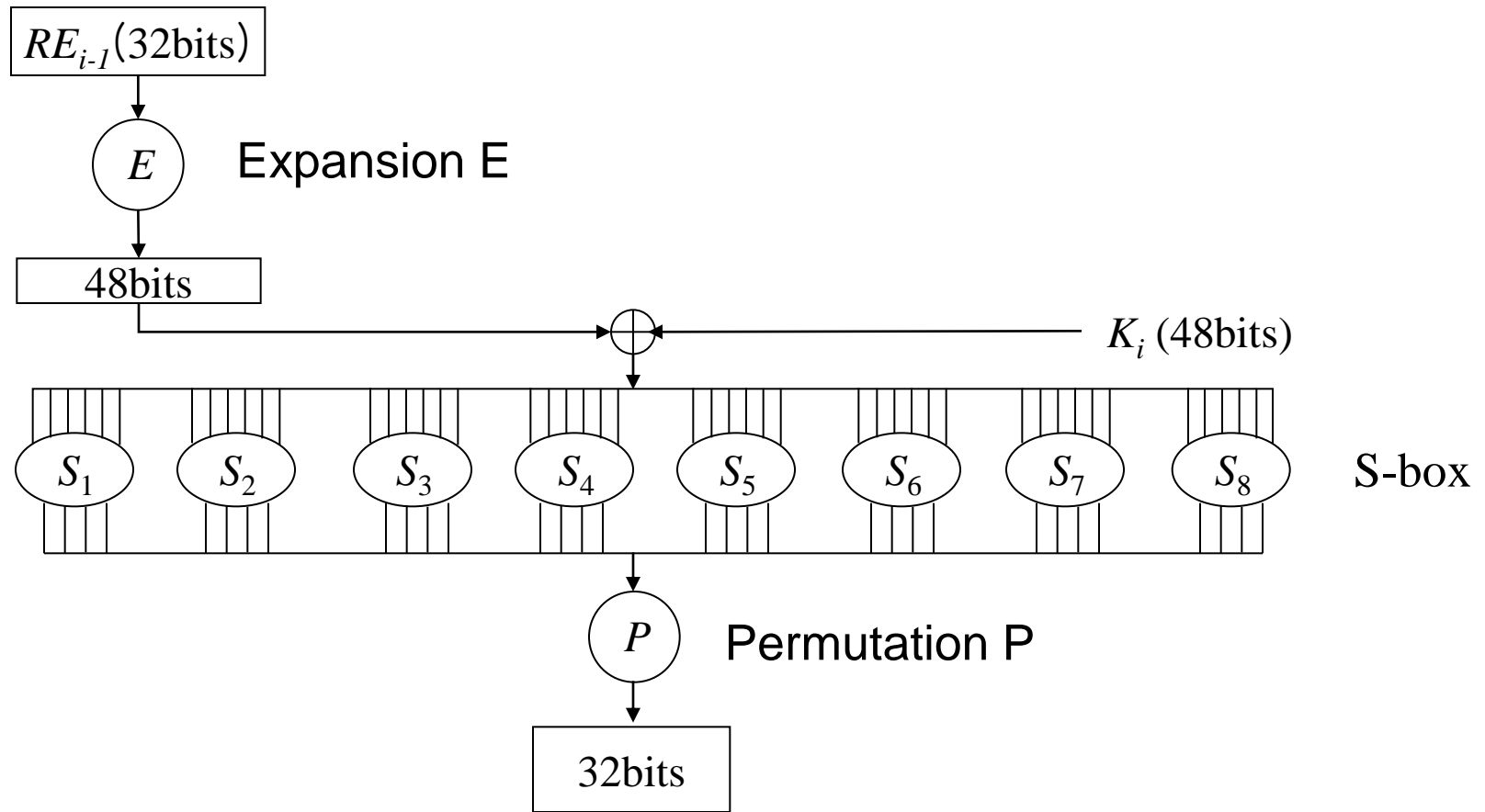
58	50	42	34	26	18	10	2
60	52	44	36	28	20	12	4
62	54	46	38	30	22	14	6
64	56	48	40	32	24	16	8
57	49	41	33	25	17	9	1
59	51	43	35	27	19	11	3
61	53	45	37	29	21	13	5
63	55	47	39	31	23	15	7

***IP*<sup>-1</sup> (Final permutation)**

40	8	48	16	56	24	64	32
39	7	47	15	55	23	63	31
38	6	46	14	54	22	62	30
37	5	45	13	53	21	61	29
36	4	44	12	52	20	60	28
35	3	43	11	51	19	59	27
34	2	42	10	50	18	58	26
33	1	41	9	49	17	57	25

cf.) The 58th bit of  $x$  is the first bit of  $IP(x)$

# Function $f(k_i, RE_{i-1})$



# Expansion E & Permutation P

Expansion  $E$

32	1	2	3	4	5
4	5	6	7	8	9
8	9	10	11	12	13
12	13	14	15	16	17
16	17	18	19	20	21
20	21	22	23	24	25
24	25	26	27	28	29
28	29	30	31	32	1

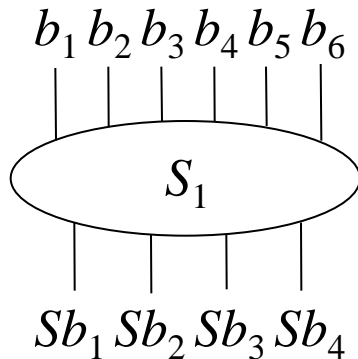
cf.) 32-bits are expanded into 48-bits.  
Some bits are selected more than once.

Permutation  $P$

16	7	20	21
29	12	28	17
1	15	23	26
5	18	31	10
2	8	24	14
32	27	3	9
19	13	30	6
22	11	4	25

32-bit  $\rightarrow$  32-bit  
permutation

# DES S-box (substitution box) (1/3)



Look-up a value from the table using

$b_1 b_6$ : row

$b_2 b_3 b_4 b_5$ : column

$b_1 b_6$ : row

$S_1$ -box table

	$Sb_1$															
0	14	4	13	1	2	15	11	8	3	10	6	12	5	9	0	7
1	0	15	7	4	14	2	13	1	10	6	12	11	9	5	3	8
2	4	1	14	8	13	6	2	11	15	12	9	7	3	10	5	0
3	15	12	8	2	4	9	1	7	5	11	3	14	10	0	6	13
	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15

$b_2 b_3 b_4 b_5$ : column

# DES S-boxes(2/3)

- 8 S-boxes (6  $\rightarrow$  4 bits)
- some known design criteria
  - ✓ not linear
  - ✓ Any one bit of the inputs changes at least two output bits
  - ✓  $S(x)$  and  $S(x \oplus 001100)$  differs at least 2 bits
  - ✓  $S(x) \neq S(x \oplus 11ef00)$  for any  $ef$
  - ✓ Resistance against DC etc.
  - ✓ The actual design principles have never been revealed (US classified information)

# DES S-Boxes(3/3) - examples

S<sub>3</sub>-box

10	0	9	14	6	3	15	5	1	13	12	7	11	4	2	8
13	7	0	9	3	4	6	10	2	8	5	14	12	11	15	1
13	6	4	9	8	15	3	0	11	1	2	12	5	10	14	7
1	10	13	0	6	9	8	7	4	15	14	3	11	5	2	12

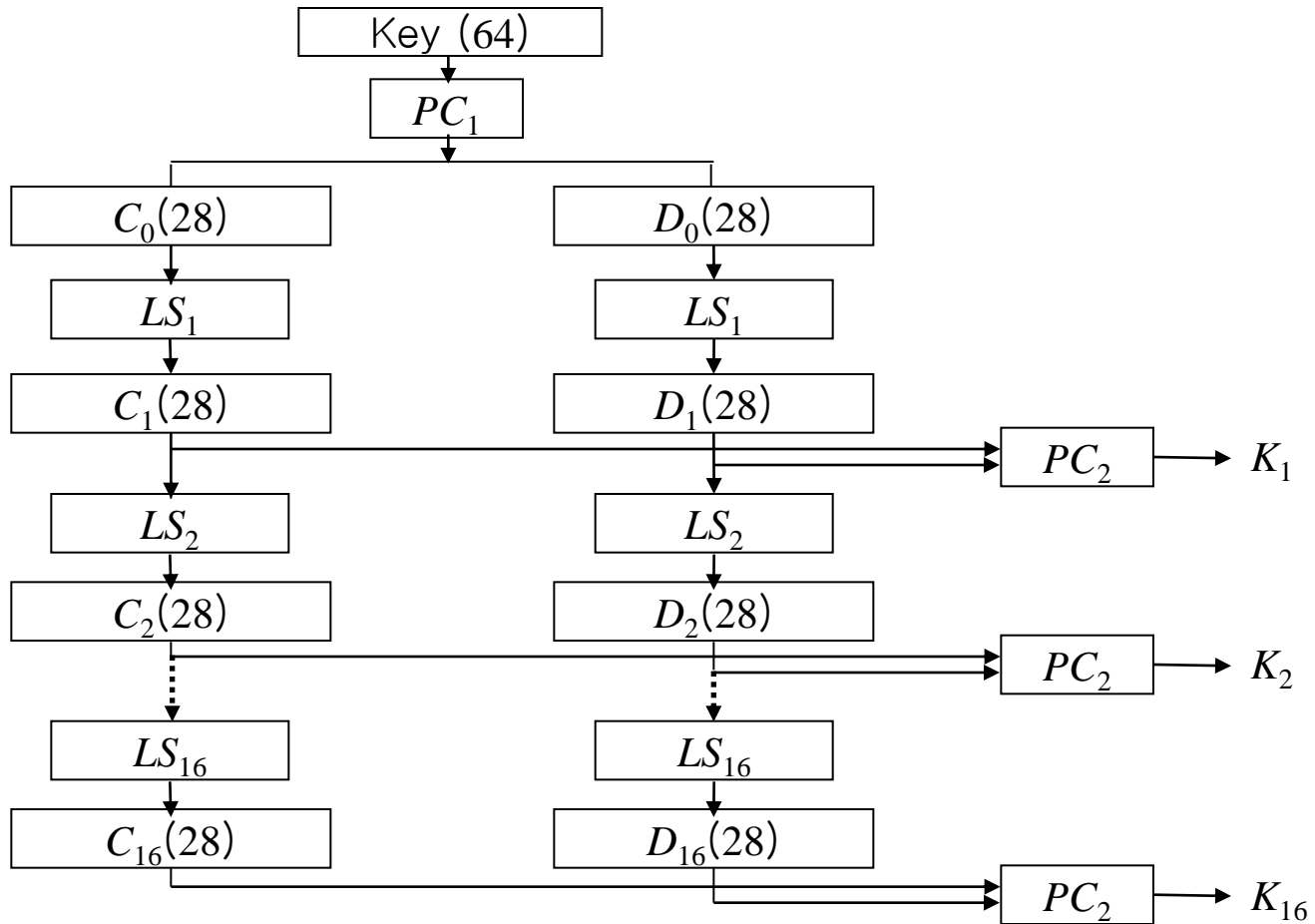
S<sub>4</sub>-box

7	13	14	3	0	6	9	10	1	2	8	5	11	12	4	15
13	8	11	5	6	15	0	3	4	7	2	12	1	10	14	9
10	6	9	0	12	11	7	13	15	1	3	14	5	2	8	4
3	15	0	6	10	1	13	8	9	4	5	11	12	7	2	14

HW : For the S<sub>4</sub>-box, check whether the following property holds  
S<sub>5</sub>(x) and S<sub>5</sub>(x ⊕ 001100) differs at least 2 bits



# Key Scheduling



# Permuted Choice 1 (PC<sub>1</sub>)

57	49	41	33	25	17	9
1	58	50	42	34	26	18
10	2	59	51	43	35	27
19	11	3	60	52	44	36
63	55	47	39	31	23	15
7	62	54	46	38	30	22
14	6	61	53	45	37	29
21	13	5	28	20	12	4

64 bit -> 56 bit (Actual key size of DES is 56-bit)

cf.) Do not use the parity check bits preventing from input error.

8 16 24 32 40 48 56 64 was not selected.

# Permuted Choice 2 (PC<sub>2</sub>)

14	17	11	24	1	5
3	28	15	6	21	10
23	19	12	4	26	8
16	7	27	20	13	2
41	52	31	37	47	55
30	40	51	45	33	48
44	49	39	56	34	53
46	42	50	36	29	32

56 bit -> 48 bit

Note that 9, 18, 22, 25, 35, 38, 43 and 54-th bits were not selected reserved for parity check

# Left Shift $LS_s$

Iteration	Shift	Iteration	Shift
$LS_1$	1	$LS_9$	1
$LS_2$	1	$LS_{10}$	2
$LS_3$	2	$LS_{11}$	2
$LS_4$	2	$LS_{12}$	2
$LS_5$	2	$LS_{13}$	2
$LS_6$	2	$LS_{14}$	2
$LS_7$	2	$LS_{15}$	2
$LS_8$	2	$LS_{16}$	1



# Known Weakness of DES

- **Complementary Prop.**
  - ✓ If  $C = E(K, P)$ ,  $\overline{C} = E(\overline{K}, \overline{P})$
- **Weak Key : 4 keys**
  - ✓  $E(K, E(K, P)) = P$
- **Semi-weak Keys : 12 keys (6 pairs)**
  - ✓  $E(K_1, E(K_2, P)) = P$
- **Key Exhaustive Search :  $2^{55}$**

# DES Cracking Machine (I)

## ➤ DES - Controversies

- ✓ Unknown design criteria
- ✓ Slow in software
- ✓ Too short key size – 56 bits

## ➤ DES Crack Machine

- ✓ Can test over 90 billion keys per second
- ✓ EFF's "Deep Crack" and the Distributed.Net computers were testing 245 billion keys per second
- ✓ On Jan. 19, 1999, RSA DES-III Challenge was deciphered after searching 22hr and 15min.

<http://www.rsa.com/rsalabs/node.asp?id=2108>



Identifier: DES-Challenge-III

Cipher: DES

Start: January 18, 1999 9:00 AM PST

Prize: \$10,000

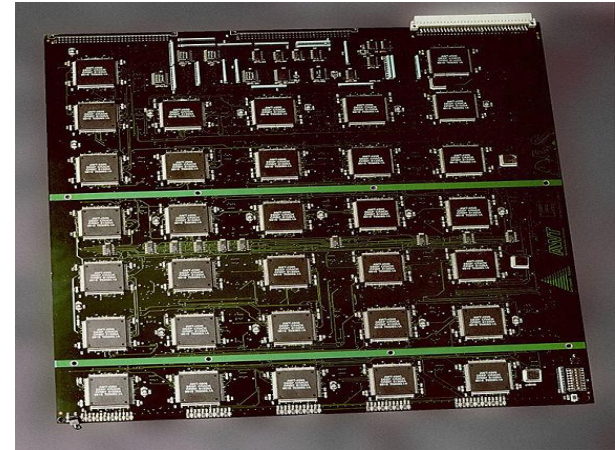
IV: da 4b be f1 6b 6e 98 3d

Plaintext: See you in Rome (second AES Conference, March 22-23, 1999)

# DES Cracking Machine (II)



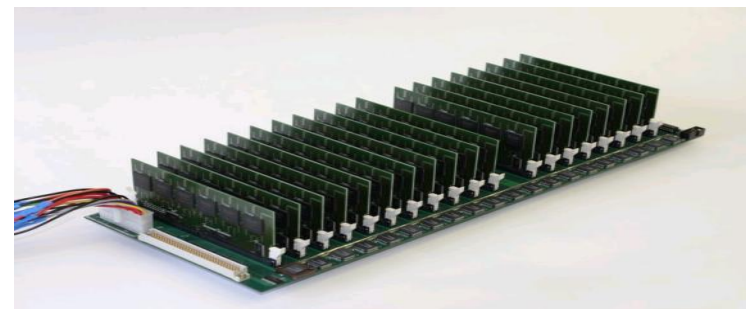
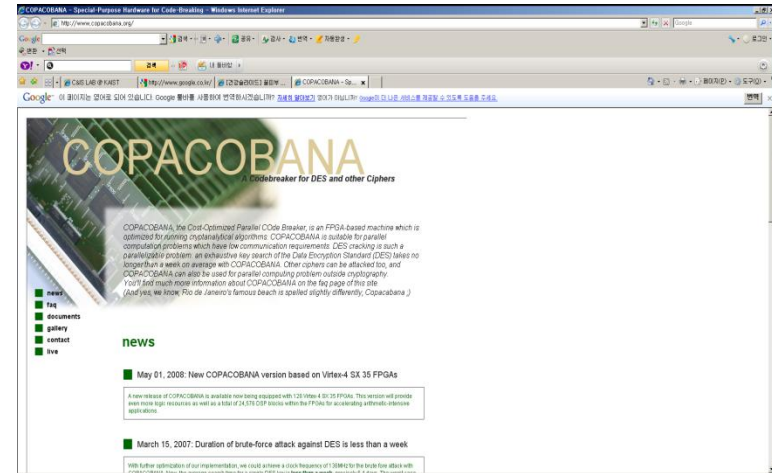
- Distributed.Net + EFF
  - 100,000 PC on Network
  - 56hr
  - [http://www.distributed.net/Main\\_Page](http://www.distributed.net/Main_Page)
- EFF(Electronic Frontier Foundation), 1989
  - Specific tools
  - 22hr 15min
  - 250,000\$
  - [http://en.wikipedia.org/wiki/EFF\\_DES\\_cracker](http://en.wikipedia.org/wiki/EFF_DES_cracker)



**P. Kocher**

# DES Cracking Machine(III)

- COPACOBANA) Cost-Optimized Parallel Code Breaker is an FPGA Machine by Univ. of Bochum, Germany
- Commercially available 120 FPGA's of type XILINX Spartan3-1000 run in parallel
- 10,000\$ of ¼ of EFF project
  - [http://en.wikipedia.org/wiki/EFF\\_DES\\_cracker](http://en.wikipedia.org/wiki/EFF_DES_cracker)



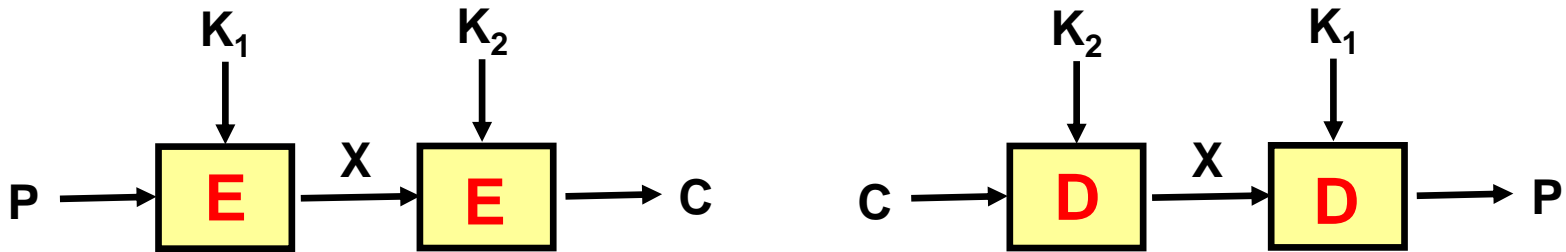


# Double DES & 3DES

❖ How to strengthen existing DES implementations ?

❖ Double DES

➤ Essentially no security increase:  $E_{K_1}(P) = X = D_{K_2}(C)$  Meet-in-the-middle attack !



❖ 3DES

➤ Three-key or Two-key 3DES:  $K_1 = K_3$

